

# Higgs discovery at the LHC

Achille STOCCHI  
Marie-Hélène SCHUNE  
LAL-Orsay IN2P3/CNRS

# The Higgs mechanism



Let's take a scalar particle  $\Phi$ :  $L = \frac{1}{2} (\partial_\mu \phi)^2 - V(\phi)$

Scalar potential  $V(\phi)$ : mass term and interactions:  $V(\phi) = \frac{1}{2} \mu^2 \phi^2 + \frac{1}{4} \lambda \phi^4$

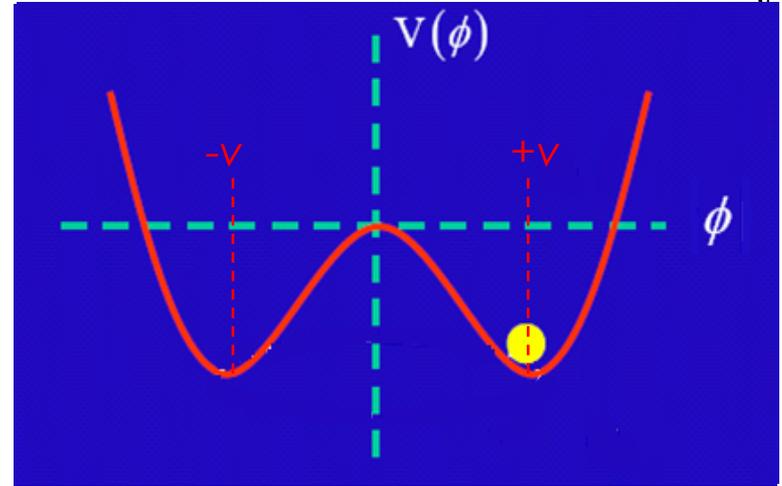
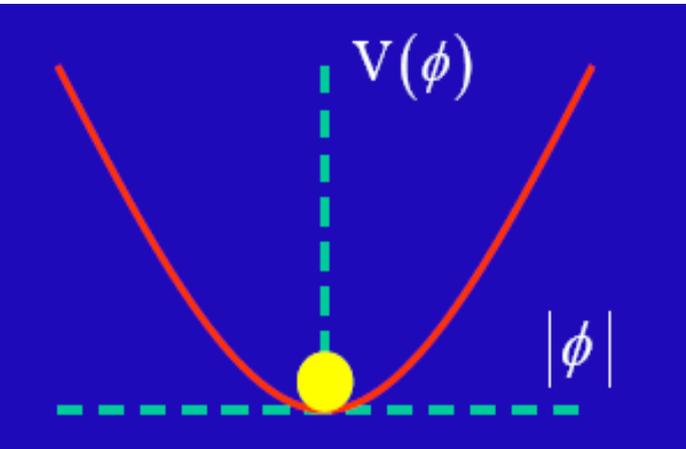
Minimum:  $\frac{\partial V(\phi)}{\partial \phi} = \phi(\mu^2 + \lambda \phi^2) = 0$

"vacuum expectation value"

If  $\lambda > 0$  and  $\mu^2 > 0$  trivial minimum: the ground state

If  $\lambda > 0$  and  $\mu^2 < 0$

Degenerate minima:  $\phi = \pm v$  with  $v = \sqrt{\frac{-\mu^2}{\lambda}}$



$\Phi=0$  is not the minimum !

By the choice of the minimum the symmetry is broken  
This is spontaneous symmetry breaking

Perturbative calculations : expand around the minimum ( $\Phi=v$  or  $\Phi=-v$  )

$$\phi(x) = v + \eta(x)$$

$$L = \frac{1}{2} (\partial_\mu \phi)^2 - \frac{1}{2} \mu^2 \phi^2 - \frac{1}{4} \lambda \phi^4$$

$$L' = \frac{1}{2} (\partial_\mu \eta)^2 - \lambda v^2 \eta^2 - \lambda v \eta^3 - \frac{1}{4} \lambda \eta^4 + \text{constant terms}$$

Mass term :  $M = \sqrt{2\lambda v^2} = \sqrt{-2\mu^2}$

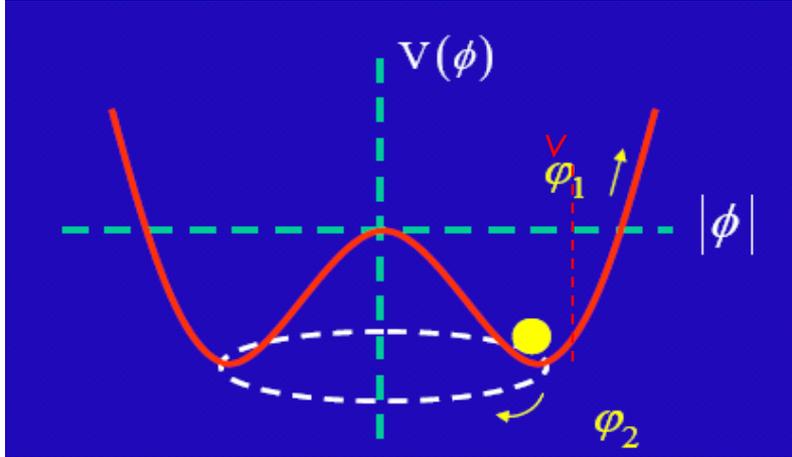
If one uses a **complex** scalar field

$$\Phi = 1/\sqrt{2}(\phi_1 + i\phi_2)$$

$$L = (\partial_\mu \phi^+)(\partial^\mu \phi) - \lambda(\phi^+ \phi)^2 - \mu^2 \phi^+ \phi$$

If  $\lambda > 0$  and  $\mu^2 < 0$

Degenerate minima  $\phi_1^2 + \phi_2^2 = v$  with  $v = \sqrt{\frac{-\mu^2}{\lambda}}$



$M_{\phi_1}^2 = -2\mu^2 > 0$  The  $\Phi_1$  field has a mass (just as before)

$M_{\phi_2}^2 = 0$  No corresponding mass term for the  $\Phi_2$  field : the theory has a massless scalar : the Goldstone boson.

In  $\Phi_1$  and  $\Phi_2$  directions the potential behaves differently : flat in  $\Phi_2 \rightarrow$  massless boson

# The Higgs mechanism in the Standard Model

Use a doublet of complex fields

$$\phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \begin{pmatrix} \frac{1}{\sqrt{2}}(\phi_1 + i\phi_2) \\ \frac{1}{\sqrt{2}}(\phi_3 + i\phi_4) \end{pmatrix}$$

electroweak unification + spontaneous symmetry breaking :

$$L = (D_\mu \phi^+)(D^\mu \phi) - \lambda(\phi^+ \phi)^2 - \mu^2 \phi^+ \phi$$

$$D^\mu \phi = \left[ \partial^\mu + igW^\mu + ig' y_\phi B^\mu \right] \phi$$

$$|\langle 0 | \phi^0 | 0 \rangle| = \sqrt{\frac{-\mu^2}{2\lambda}} = \frac{v}{\sqrt{2}} \quad \text{and} \quad |\langle 0 | \phi^+ | 0 \rangle| = 0$$

keep  $U(1)_{em}$   
invariance

spontaneous symmetry breaking :  $\phi(x) = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + H(x) \end{pmatrix}$

The coupling to the gauge boson is obtained via the covariant derivatives (long calculation) :

$$L = (D_\mu \phi^+)(D^\mu \phi) = \frac{1}{2} \partial_\mu H \partial^\mu H + \frac{g^2}{4} (v + H)^2 \left[ W_\mu^+ W^\mu + \frac{1}{\cos^2 \theta_W} Z_\mu^+ Z^\mu \right]$$

No  $A_\mu A^\mu$  term :  $M_Y=0$

Massive weak gauge bosons :

$$M_W = \frac{1}{2} vg$$

$$M_Z = \frac{1}{2} \frac{vg}{\cos \theta_W}$$

$v$  is not known it can be computed using the muon decay rate

$$\frac{G_F}{\sqrt{2}} = \frac{g^2}{8M_W^2} = \frac{1}{2v^2}$$

$$\rightarrow v \sim 246 \text{ GeV}$$

This is what we wanted to obtain !

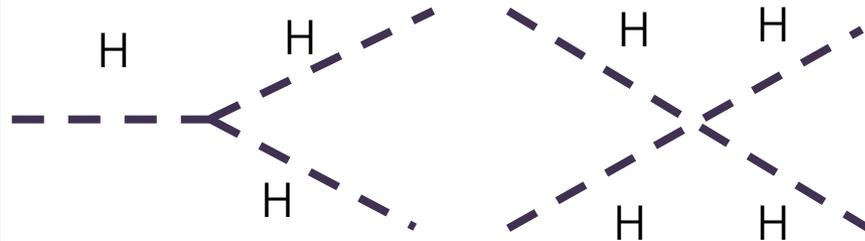
# The Higgs boson :

As shown before  $M_H = \sqrt{-2\mu^2}$  it is a **free** parameter

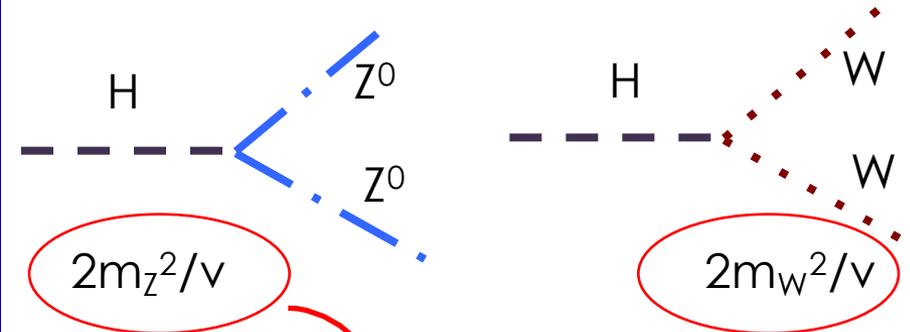
If one writes the full lagrangian one sees Higgs self-coupling and Higgs couplings to the gauge bosons

These couplings are proportional to the masses

## Higgs self coupling



## Higgs coupling to the gauge bosons



Couplings proportional to the mass of the Higgs

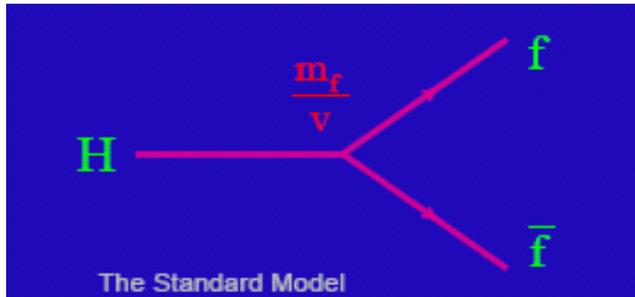
→ **Crucial test of the model**

$v$  can be computed using the muon decay rate

→ **couplings fixed**

The Higgs and the fermions :

The fermions masses are free parameters :



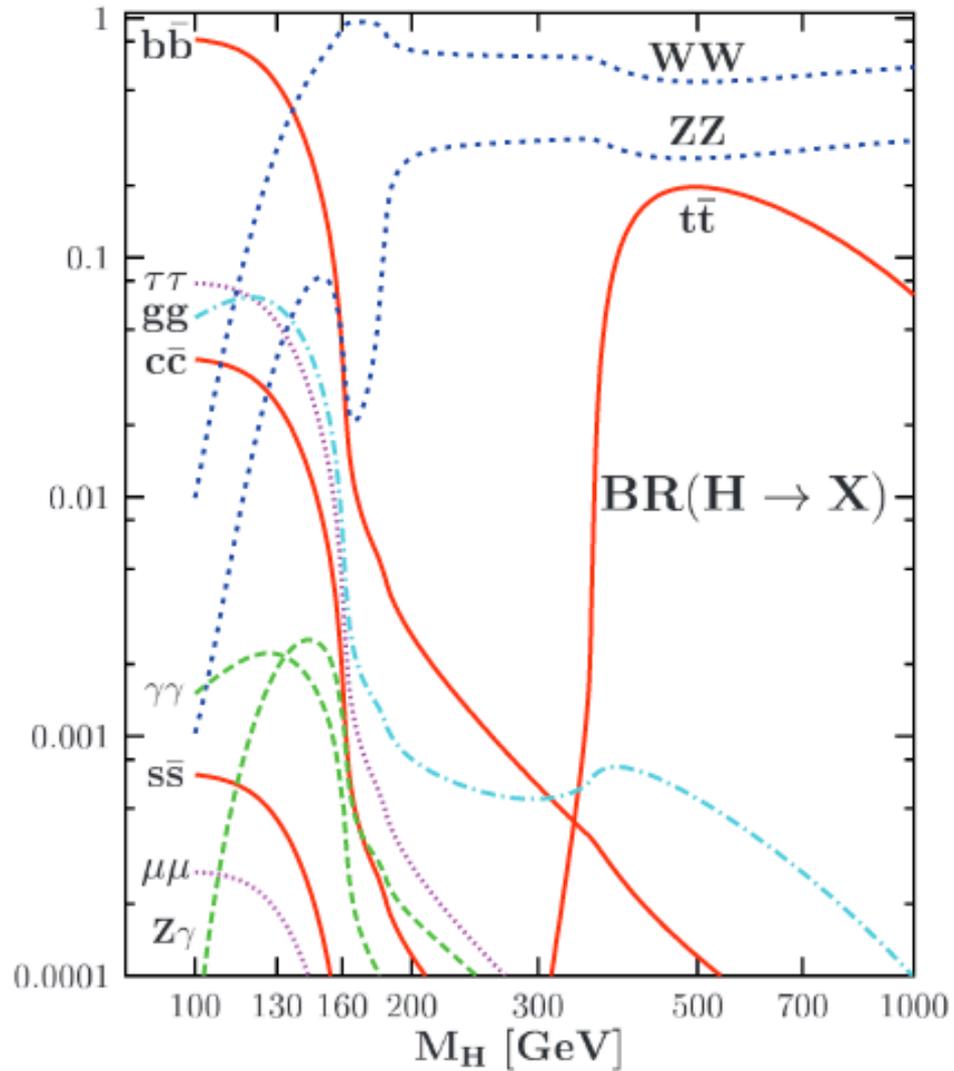
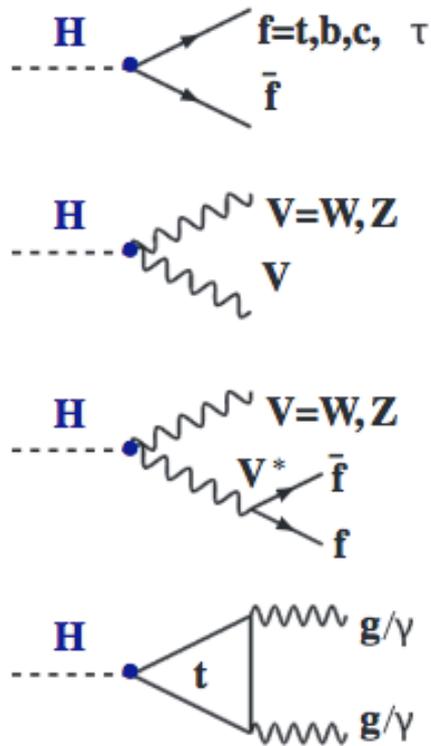
The couplings are fixed :  $m_f/v$

Experimental consequence : the Higgs boson will decay preferentially to heavy particles

**RECAP**

- Complex doublet scalar field : the Higgs field : 3 components absorbed : masses to the W and Z.
- One remaining component : the Higgs boson
- Higgs field : it is the interaction of the elementary particles with the Higgs field which gives them masses

# Main Higgs possible decays depend on the Higgs mass



One has

$$\Gamma_{f\bar{f}}^h \approx \frac{|\mathbf{p}_f|}{m_h^2} \frac{\int d\Omega}{32\pi^2} |\overline{\mathcal{M}}|^2 = \alpha_2 \frac{c_f}{8} \frac{m_f^2}{m_W^2} m_h.$$

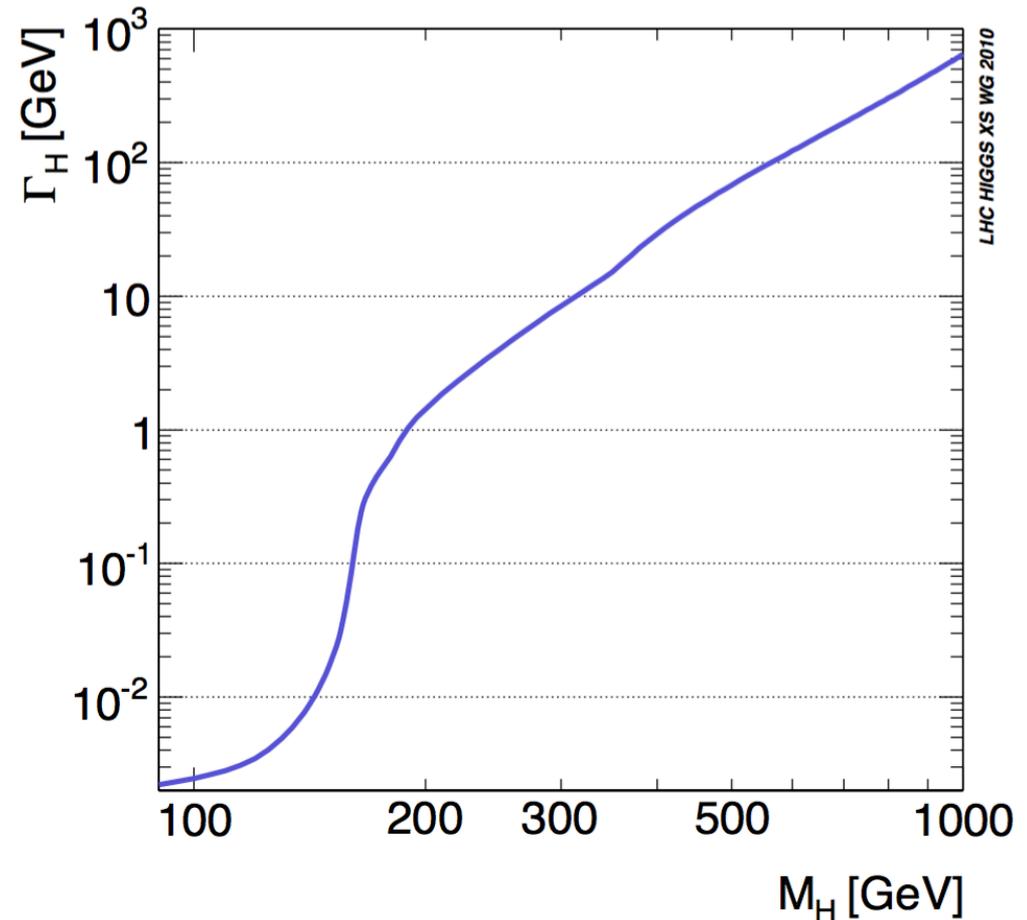
$c_f=3$  for quarks  
 $c_f=1$  for leptons  
 $\alpha_2 = \alpha_{\text{QED}}/\sin^2\theta_W$

$$\Gamma_{WW}^h \approx \frac{\alpha_2 m_h^3}{16m_W^2}.$$

$$\Gamma_{ZZ}^h \approx \frac{\alpha_2 m_h^3}{32m_W^2}.$$

The larger the mass, the larger the width !

$M \sim 125 \text{ GeV} \Rightarrow \Gamma \sim 4 \text{ MeV}$

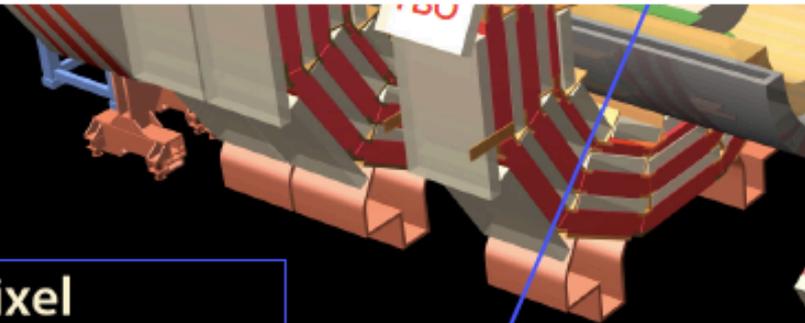


CERN/LHCC/92-3  
LHCC/1  
1 October 1992

LABORATOIRE EUROPÉEN POUR LA PHYSIQUE DES PARTICULES  
**CERN** EUROPEAN LABORATORY FOR PARTICLE PHYSICS

# CMS

## The Compact Muon Solenoid



Pixel  
Tracker  
ECAL  
HCAL  
Muons  
Solenoid coil

### Pixels & Tracker

- Pixels ( $100 \times 150 \mu\text{m}^2$ )  
~ 1 m<sup>2</sup> 66M channels
- Silicon Microstrips  
~ 210 m<sup>2</sup> 9.6M channels

ating  
stals

tilator/brass  
leaved

Solenoid



IRON YOKE

Muon  
End-Caps

Cathode Strip Ch. (CSC)  
Resistive Plate Ch. (RPC)

# CMS

16

CERN/LHCC/92-4  
LHCC/1  
1 October 1992

1992

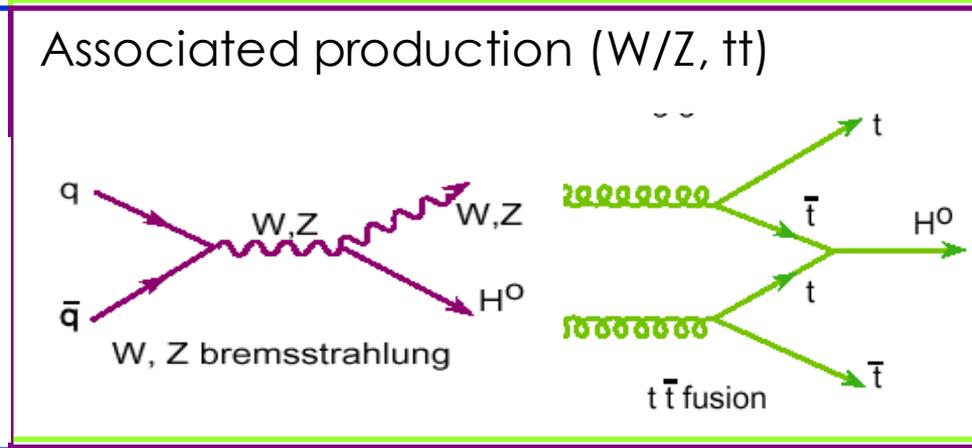
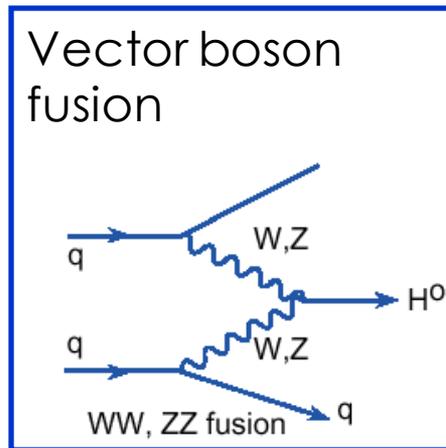
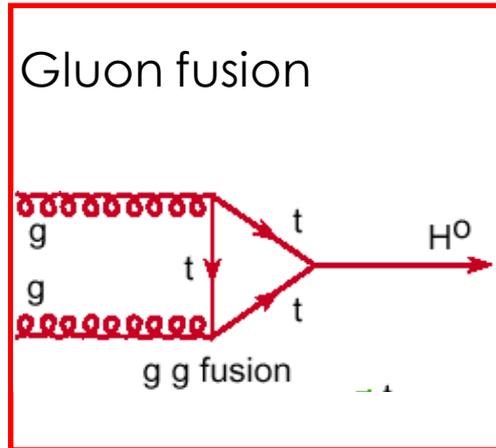
# ATLAS

Letter of Intent  
for a  
General-Purpose pp Experiment  
at the  
Large Hadron Collider at CERN

MOON BARREL  
Drift Tubes (DT) and  
Resistive Plate Chambers (RPC)

# Production (at the LHC)

In the proton : light quarks and gluons  $\rightarrow$  small/no direct coupling to H  
 $\rightarrow$  First produce heavy particles !



86 %

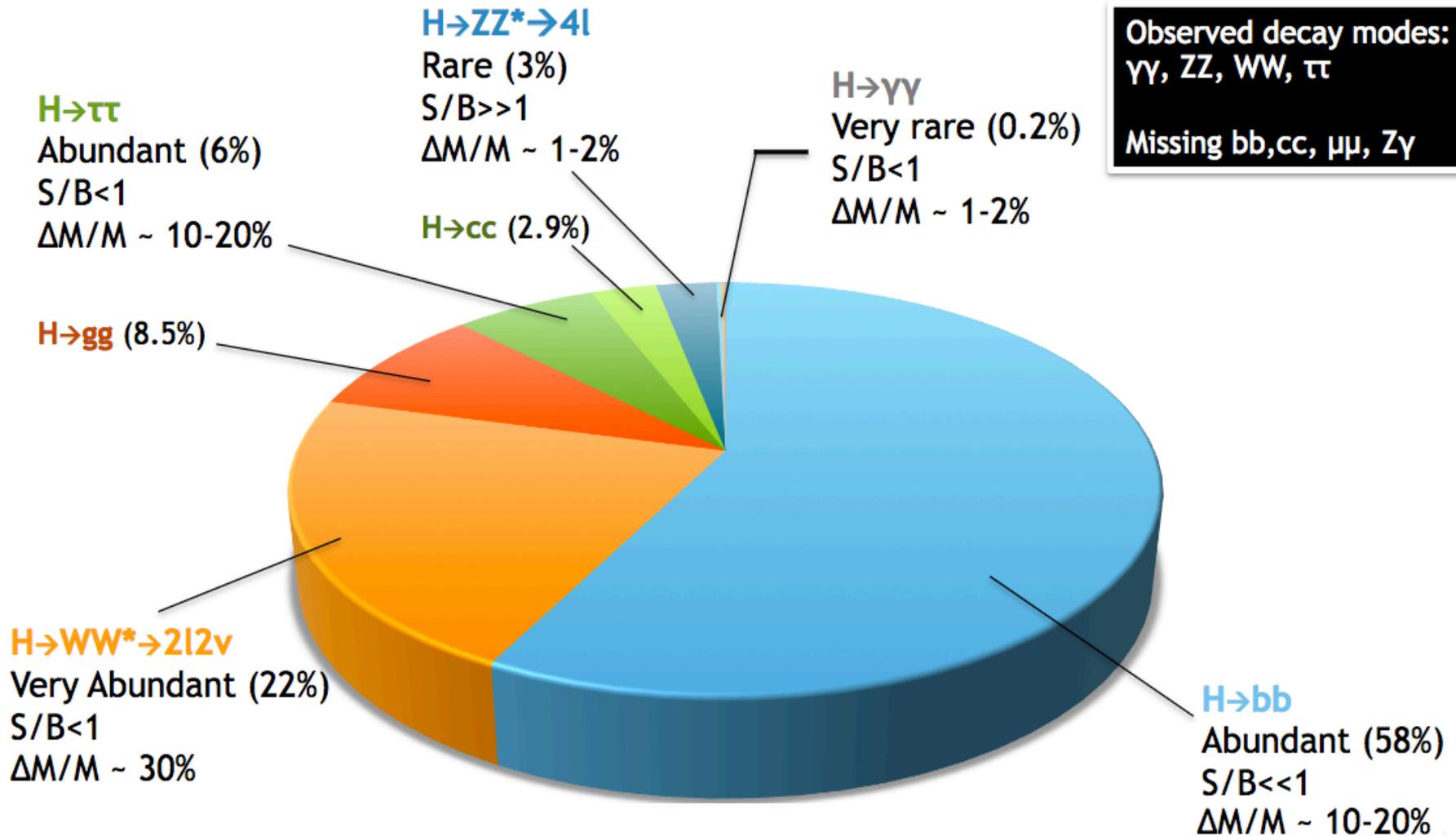
7 %

5 %

0.6 %

For a 125 GeV H boson

# Decay (at the LHC)

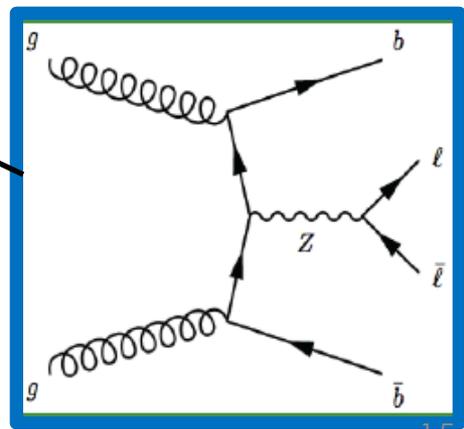
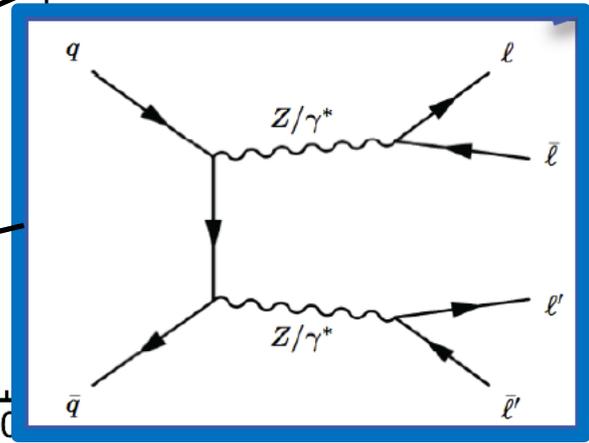
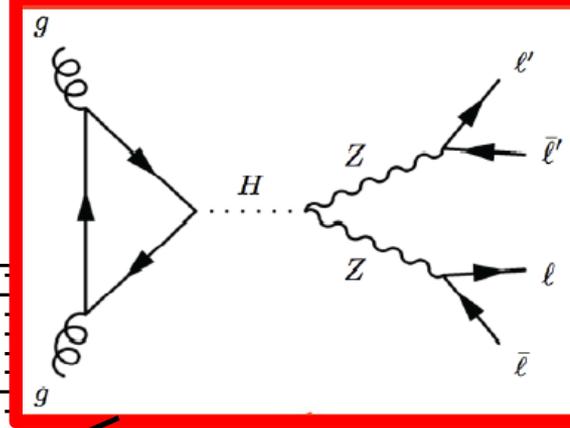
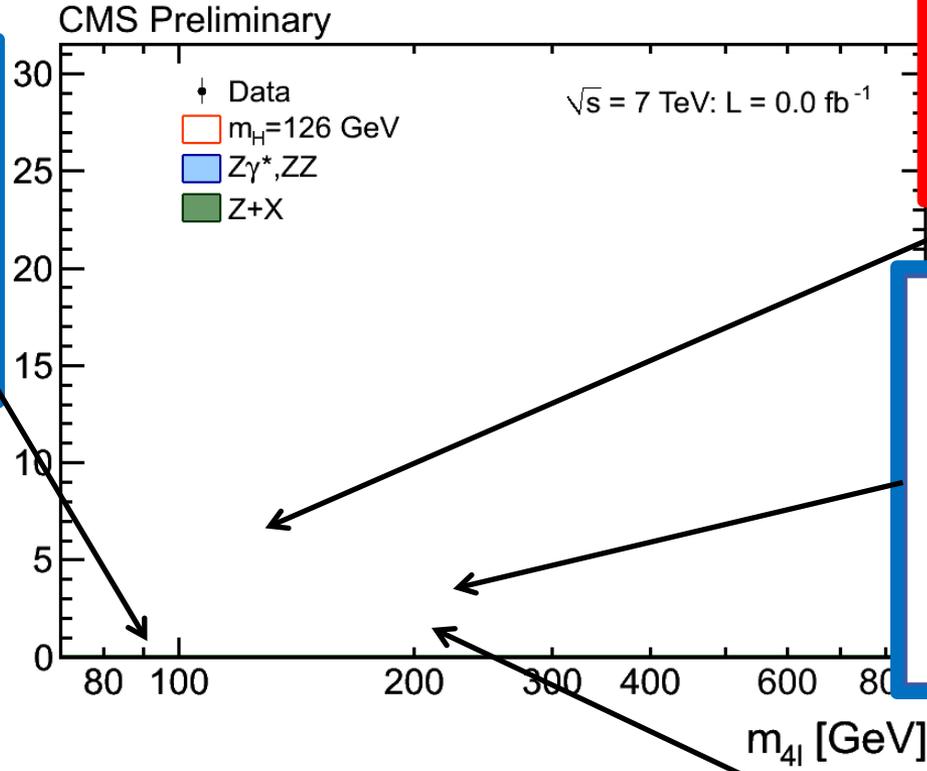
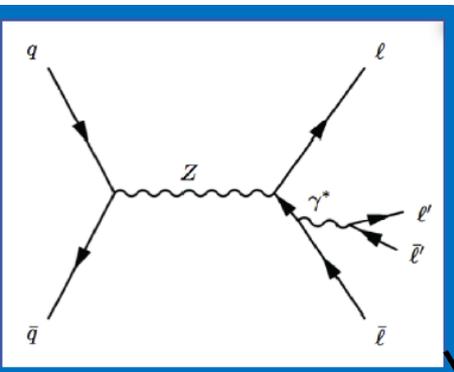


$W, Z$  : high  $p_T$  leptons  
 $\tau$  : low  $p_T$  leptons

$bb$  &  $\tau\tau$  : importance of vertex detectors

$$H \rightarrow ZZ(*) \rightarrow \ell \ell \ell \ell$$

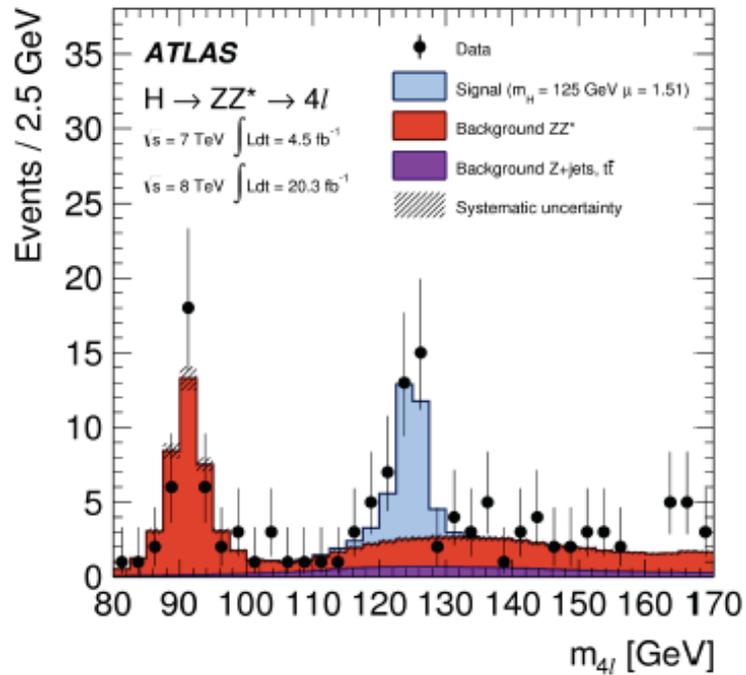
$\sigma \times B \times L = 72 \text{ events}$



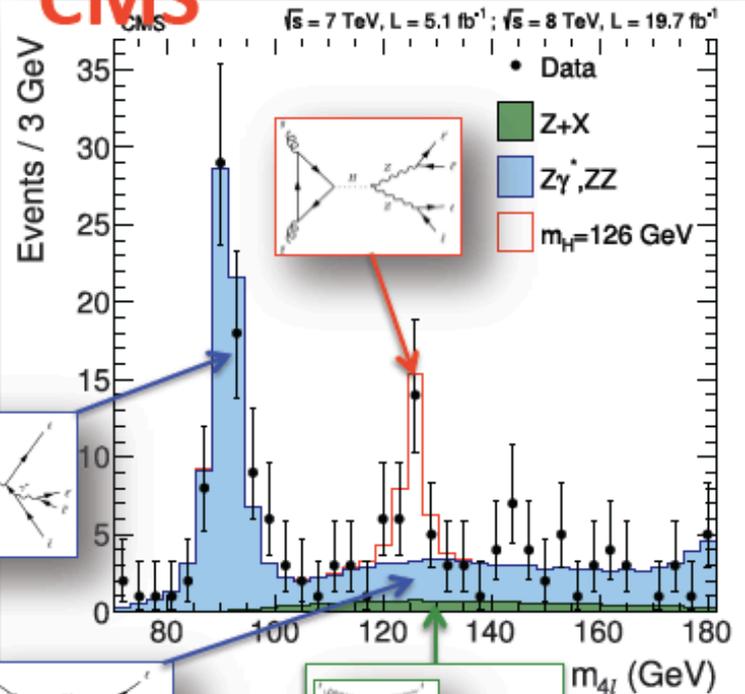
4e, 4μ, 2e2μ

- Small event yield : 20 events
- High S/B : better than 2:1
- Good mass resolution (4 leptons) : 1 to 2 %
- Four body decay : access to spin parity studies through the decay angles

# ATLAS



# CMS



significance = 8.2 (expected 5.8)  
 signal strength  $\mu = 1.7 \pm 0.4$   
 $m_H = 124.5 \pm 0.5 \text{ GeV}$   
 $\Gamma_H < 2.6 \text{ GeV}$  at 95% CL

$\mu = 1.4 \pm 0.4$   
 @  $m_H = 125.4$

significance = 6.7 (expected 7.2)  
 signal strength  $\mu = 0.9 \pm 0.3$   
 $m_H = 125.6 \pm 0.4 \text{ GeV}$   
 $\Gamma_H < 3.4 \text{ GeV}$  at 95% CL

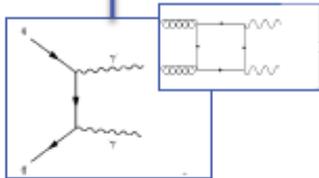
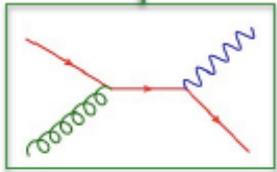
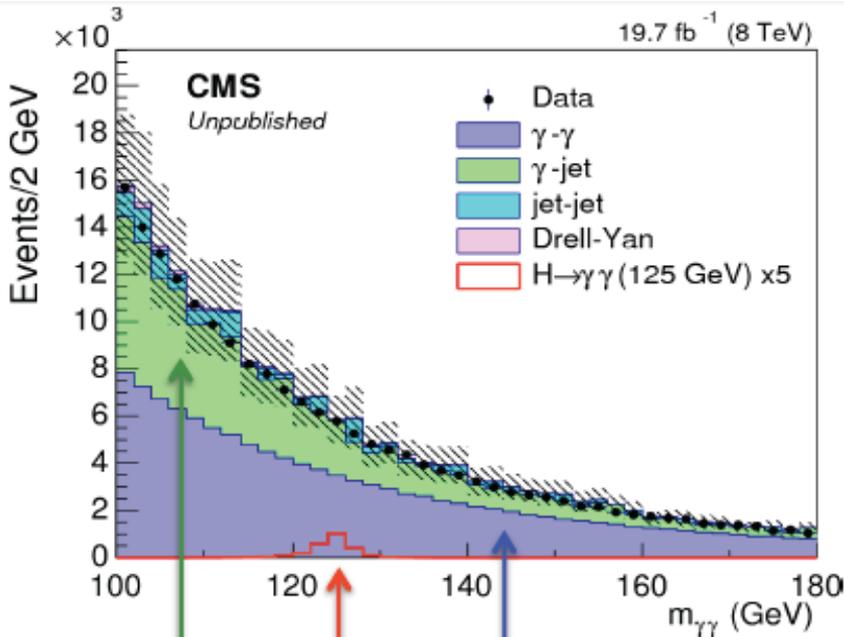
Extremely clear observation of the Higgs boson  
 Compatible with expectations (signal strength) from the SM

# $H \rightarrow \gamma\gamma$

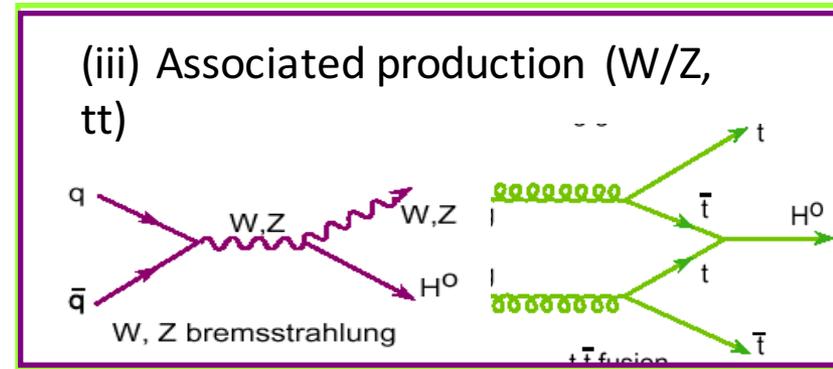
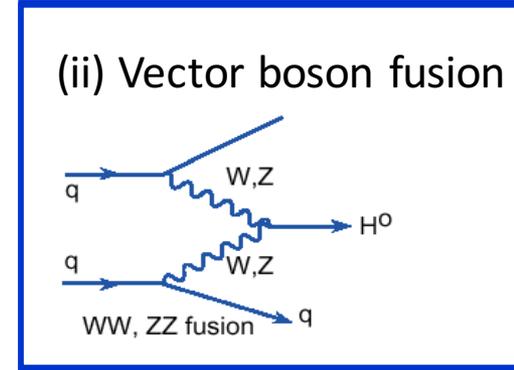
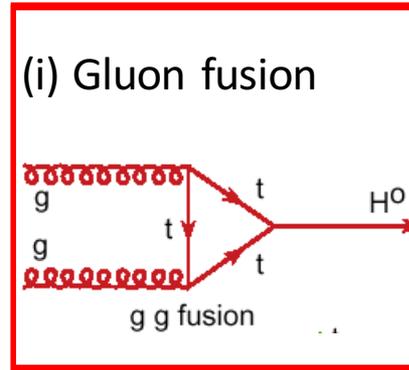
$\sigma \times B \times L = 1.3K \text{ events}$

Only two high  $p_T$  photons ....

Analysis performed according to the Higgs production mode (and thus the rest of the event)



Signal (x5)

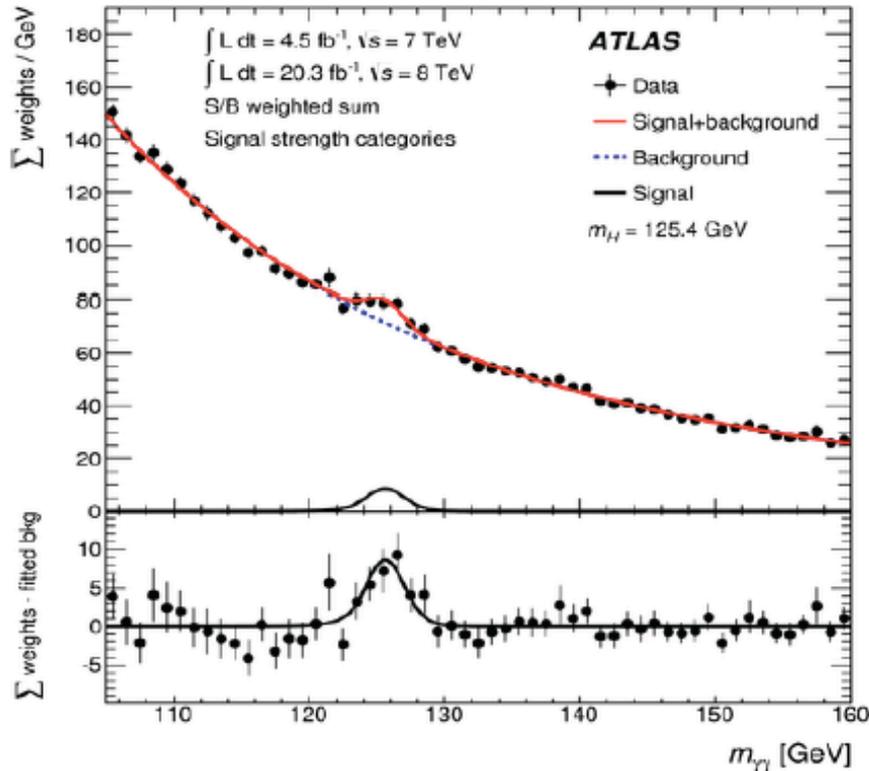


Large event yield : 470 events

Low S/B : 1:20

Good mass resolution : 1 to 2 %

# ATLAS

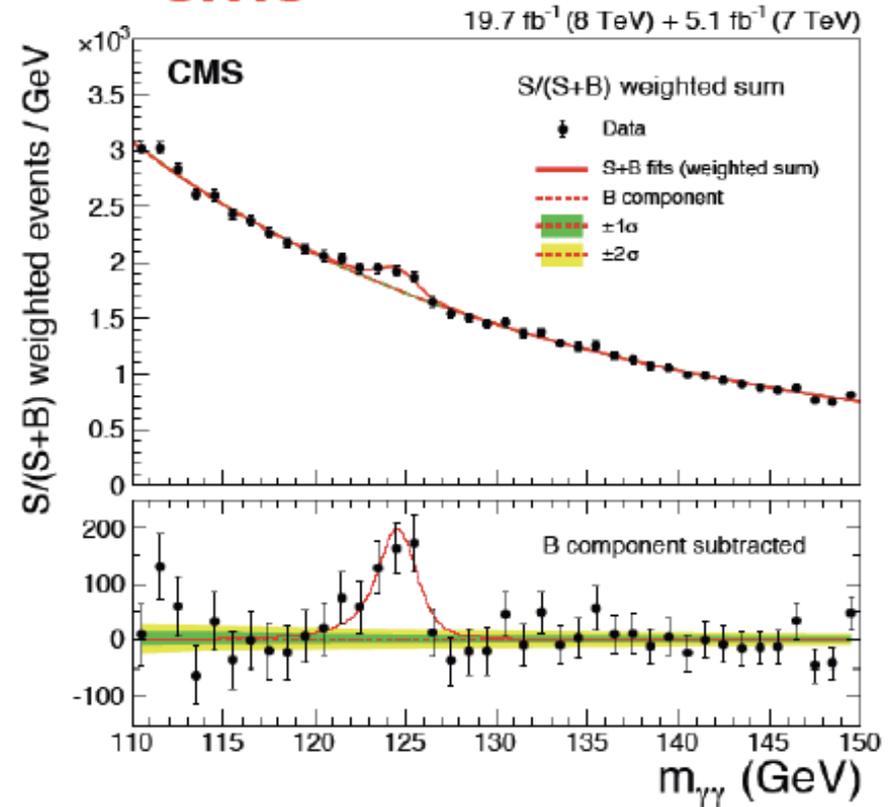


**significance = 5.2 (expected 4.6)**  
**signal strength  $\mu = 1.2 \pm 0.3$**

**@  $m_H = 125.4$**

**$m_H = 126.0 \pm 0.5 \text{ GeV}$**   
 **$\Gamma_H < 5.0 \text{ GeV}$  at 95% CL**

# CMS

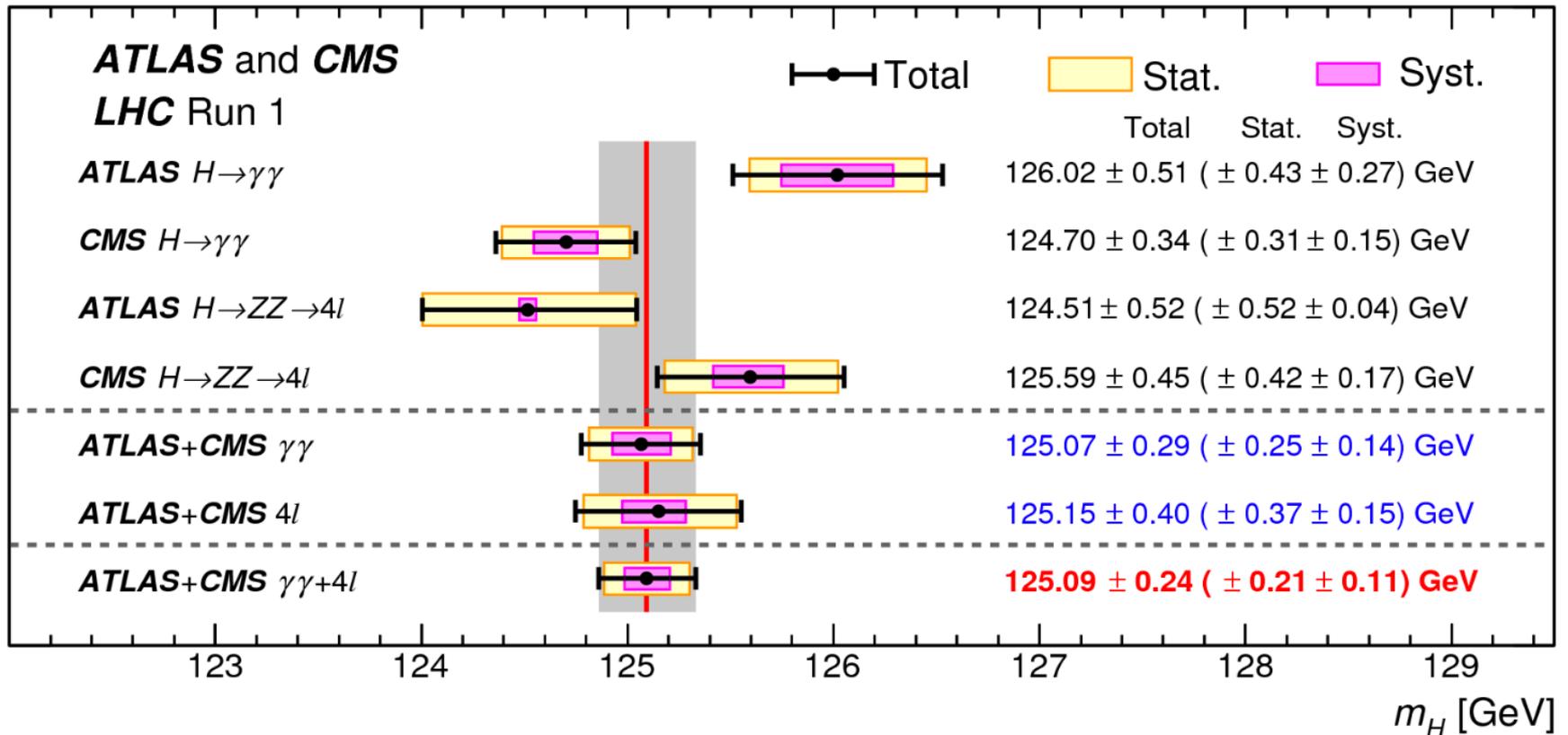


**significance = 5.7 (expected 5.2)**  
**signal strength  $\mu = 1.1 \pm 0.3$**

**$m_H = 124.7 \pm 0.4 \text{ GeV}$**   
 **$\Gamma_H < 3.4 \text{ GeV}$  at 95% CL**

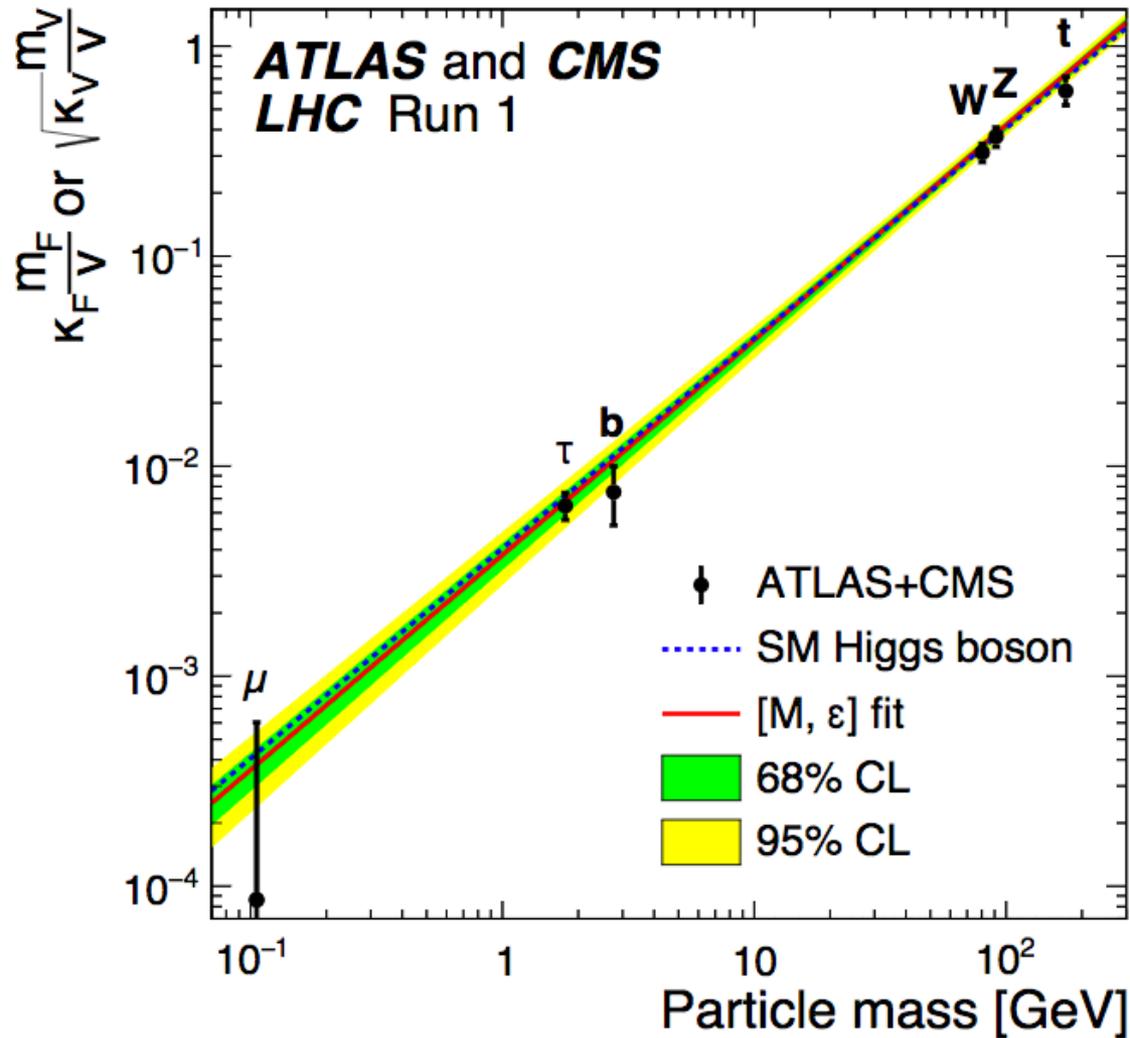
Clear observation of the Higgs boson despite the larger background level  
 Compatible with expectations (signal strength) from the SM

# The $H \rightarrow ZZ \rightarrow 4l$ and the $H \rightarrow \gamma\gamma$ channels allow to measure the boson mass



Precision of the order of 0.2 %

SM : couplings proportionnal to the masses of the particles



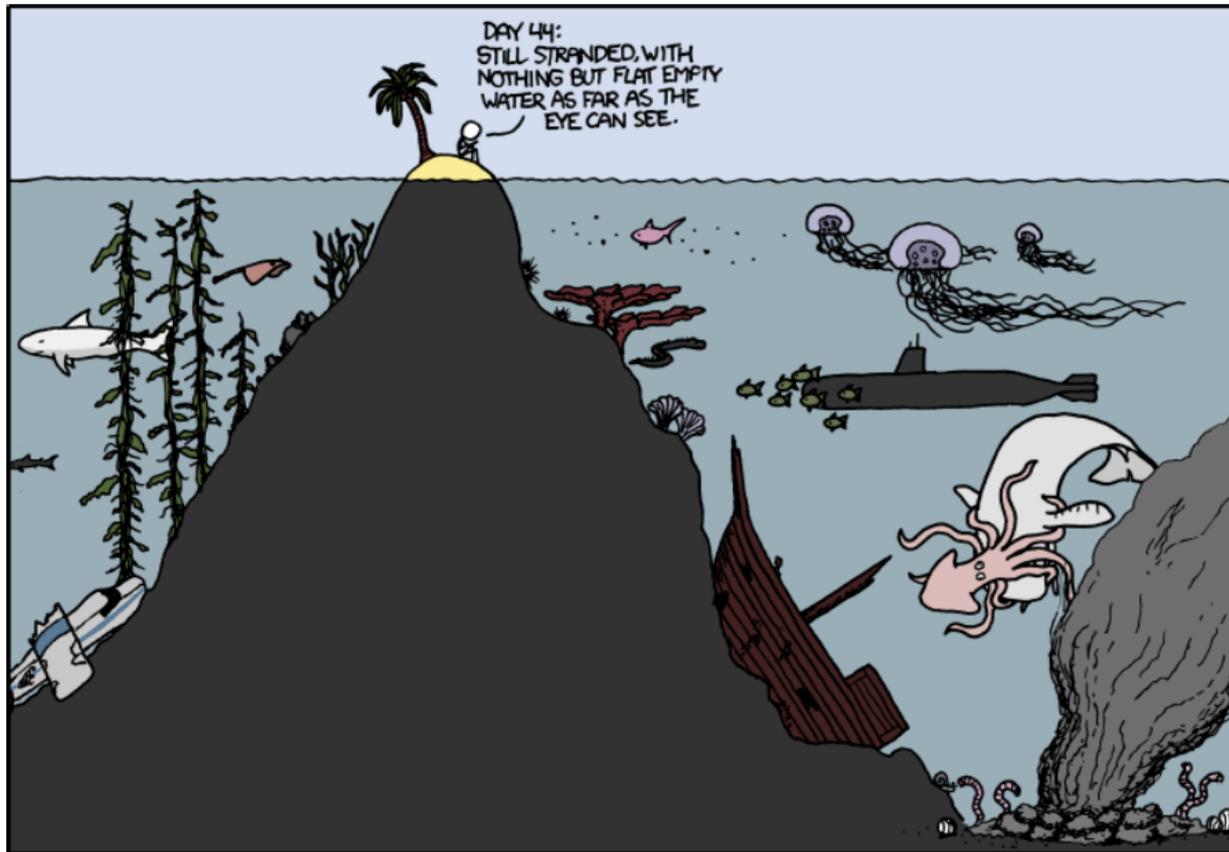
No big surprise

Run2 : in 2015 LHC restarted with a centre of mass energy of 13 TeV

But also much larger integrated luminosities

- a lot of Higgs events
- new decay modes
- studies of its properties.

Up to now it looks like a Standard Model Higgs



# Summary

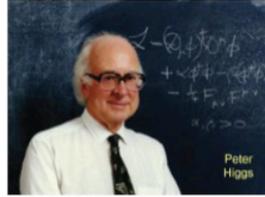
- What has been discovered at the LHC is the Higgs boson (a particle) which is the experimental proof of the existence of the Higgs field
- All Higgs boson measured properties are consistent with the SM expectations :
  - spin and parity ( $0^+$ )
  - the mass, NOT predicted by the SM is measured with a precision of 0.2 %
  - the couplings agree with those expected for a SM Higgs boson



Robert Brout 1928-2011



François Englert 1932-



Peter Higgs 1929-

2013 NOBEL PRIZE IN PHYSICS

**François Englert**  
**Peter W. Higgs**



Back up slides

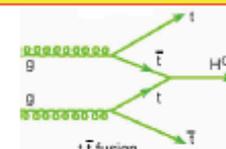
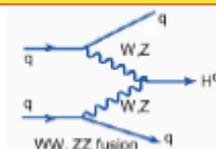
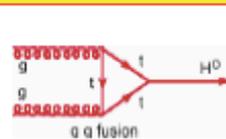
Number of SM Higgs bosons produced in Run 1 per experiment :

**Total number of inelastic pp-collisions produced in Run I:**

$1.5 \times 10^{15}$

**Total produced Higgs bosons ( $m_H=125$  GeV):**

**560,000**



$m_H=125$ GeV ( $l=e/\mu$ )		ggF (86%)	VBF (7%)	VH (5%)	bbH (0.9%)	ttH (0.6%)
$H \rightarrow ZZ \rightarrow 4l$	0.013%	72				
$H \rightarrow \gamma\gamma$	0.23%	1,300				
$H \rightarrow WW \rightarrow l\nu l\nu$	1.1%	6,100				
$H \rightarrow \tau\tau$	6.3%	35,000				
$H \rightarrow bb$	58%	X 270,000	42,000			
$H \rightarrow \mu\mu$	0.022%	120				
$H \rightarrow Z\gamma \rightarrow 2l\gamma$	0.010%	56				
$H \rightarrow J/\psi\gamma \rightarrow \mu\mu\gamma$	$1.7 \times 10^{-7}$	0.1				
invisible	0.11%	X 590 (too small S/B at LHC, unless there is BSM $H \rightarrow \text{inv}$ )				
all others	37%	X 200,000 (deemed not feasible at LHC)				

all event counts are before:

- detector acceptance
- reconstruction efficiency
- event selection efficiency

Remember the number of Higgs bosons produced for Run 1 ?

$m_H=125 \text{ GeV}$ ( $l=e/\mu$ )		ggF (86%)	VBF (7%)	VH (5%)	bbH (0.9%)	ttH (0.6%)
✓	$H \rightarrow ZZ \rightarrow 4l$	0.013%		72		
✓	$H \rightarrow \gamma\gamma$	0.23%		1,300		
✓	$H \rightarrow WW \rightarrow l\nu l\nu$	1.1%		6,100		
✓	$H \rightarrow \tau\tau$	6.3%		35,000		
?	$H \rightarrow bb$	58%	<del>X</del> 270,000	42,000		
-	$H \rightarrow \mu\mu$	0.022%		120		
-	$H \rightarrow Z\gamma \rightarrow 2l \gamma$	0.010%		56		
-	$H \rightarrow J/\psi\gamma \rightarrow \mu\mu \gamma$	$1.7 \times 10^{-7}$		0.1		

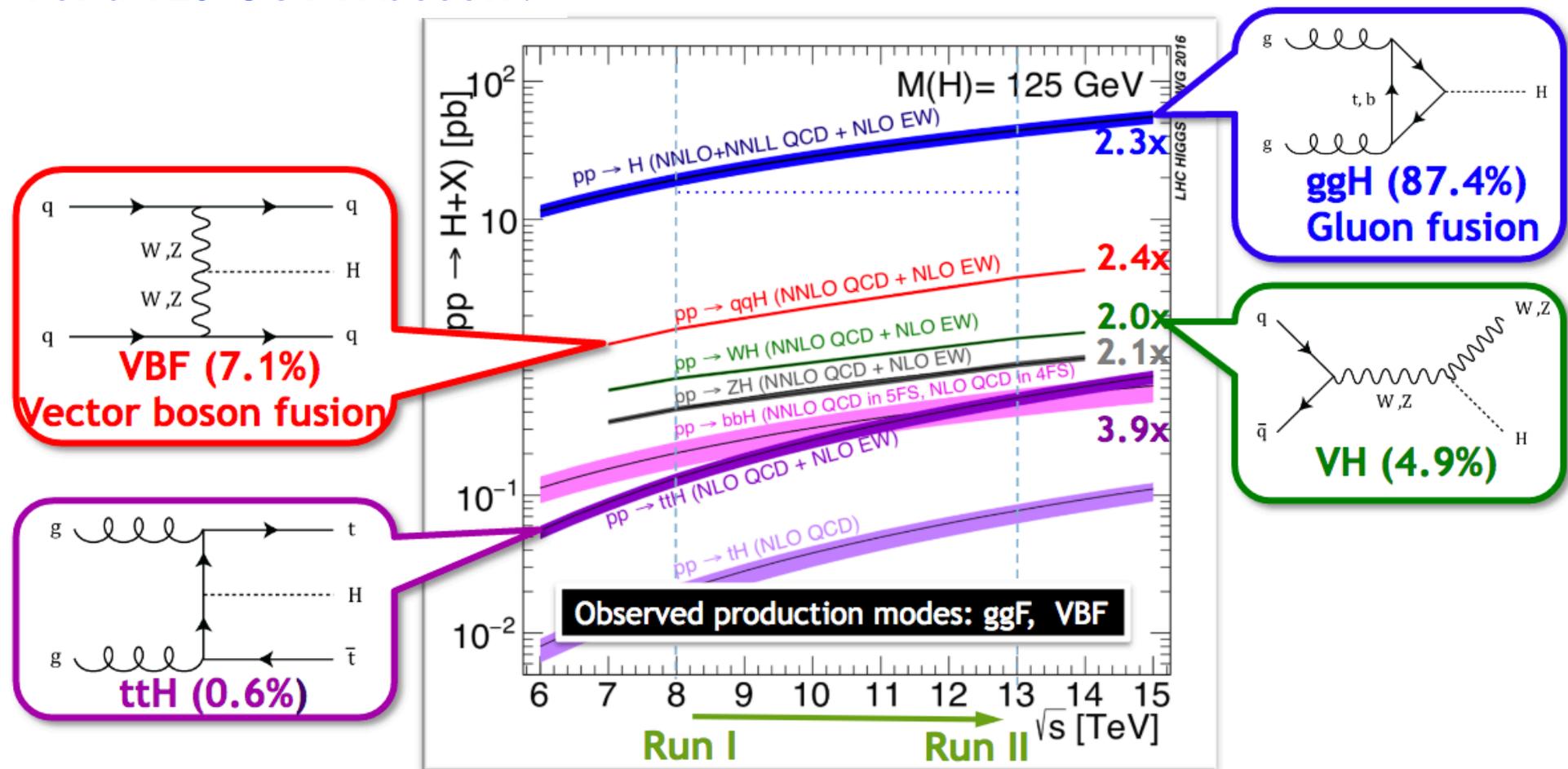
all event counts are before:

- detector acceptance
- reconstruction efficiency
- event selection efficiency

# Production (at the LHC)

In the proton : light quarks and gluons  $\rightarrow$  small/no direct coupling to H  
 $\rightarrow$  First produce heavy particles !

For a 125 GeV H boson :



The Lagrangians  $L$  and  $L'$  are completely equivalent

The transformation  $\phi(x) = v + \eta(x)$  does not change the physics

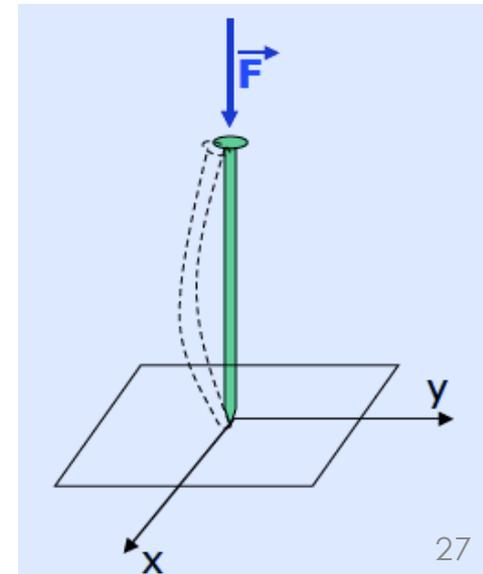
If we were able to solve exactly  $L$  and  $L'$  we would get the same results... but we cannot, so we use perturbations theory and calculate the fluctuations around the minimum energy

If we use  $L$  in perturbations theory the series don't converge ( $\Phi=0$  is unstable)

The correct way is to use  $L'$  to expand in  $\eta$  around the stable minimum  $\Phi=v$ .

The scalar particle described by  $L'$  has a mass.

We call this way the mass is generated (in fact *revealed*)  
“spontaneous symmetry breaking”



# The Higgs mechanism in the Standard Model

We have seen that the spontaneous symmetry breaking (performed adding a well chosen scalar field) can « modify » the mass content of the Lagrangian

Which scalar field to add in the framework of the electroweak symmetry ?

Mass term for fermions:

$$-m_f \bar{f} f = -m (\bar{f}_L f_R + \bar{f}_R f_L)$$

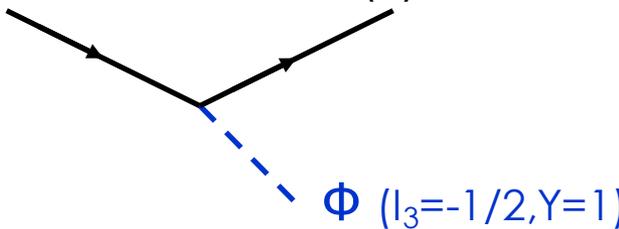
Does not conserve  $I_3$  nor  $Y$  (not gauge invariant)

$$Q = I_3 + Y/2$$

Let's take the up case :  $Q_f = 2/3$

$f_R$  ( $I_3=0, Y=4/3$ )  
SU(2) singlet

$f_L$  ( $I_3=1/2, Y=1/3$ )  
SU(2) doublet



A  $f_R f_L \Phi$  coupling is gauge invariant if  $I(\Phi) = 1/2$

→ needs a SU(2) doublet

$$\phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \begin{pmatrix} \frac{1}{\sqrt{2}} (\phi_1 + i\phi_2) \\ \frac{1}{\sqrt{2}} (\phi_3 + i\phi_4) \end{pmatrix}$$

$Q = I_3 + Y/2$  so the charge are +1 and 0 in the doublet

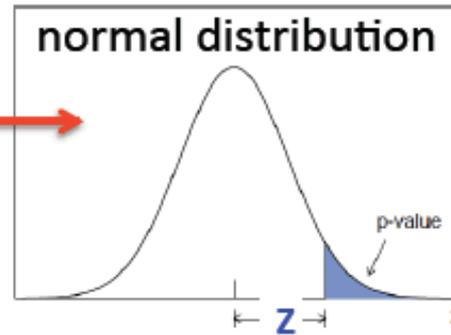
Any choice which breaks a symmetry will generate mass for the associated boson.

We want the photon to remain massless : elm should be conserved

How to quantify the presence (or the absence) of a signal ?

## p-value and significance (Z)

$$p\text{-value} = P( n \geq n_{obs} | b )$$



p-value	Z
$2.3 \times 10^{-2}$	2
$1.4 \times 10^{-3}$	3
$3.2 \times 10^{-5}$	4
$2.9 \times 10^{-7}$	5
$1.0 \times 10^{-9}$	6
$1.3 \times 10^{-12}$	7

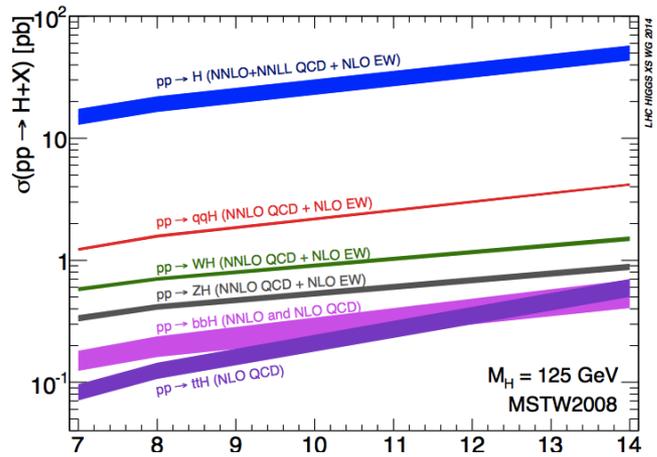
## signal strength ( $\mu$ ) – common scale factor for signal event yields

$$n_{\text{expected}} = \mu \cdot [ \sigma_{\text{SMH}} \cdot B(\text{H}_{\text{SM}} \rightarrow \text{xx}) \cdot L \cdot \varepsilon ] + n_{\text{background}}$$

## 95% CL limits on signal strength (in absence of a significant excess):

$$\mu \text{ is excluded at 95\% CL, if: } \frac{P( n \leq n_{obs} | b + \mu \cdot s )}{P( n \leq n_{obs} | b )} < 0.05$$

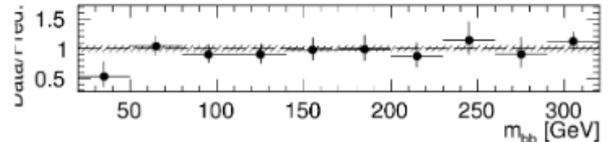
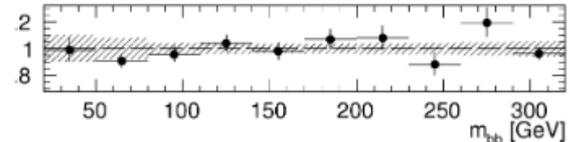
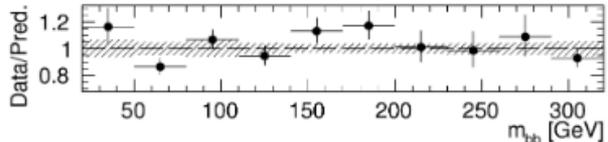
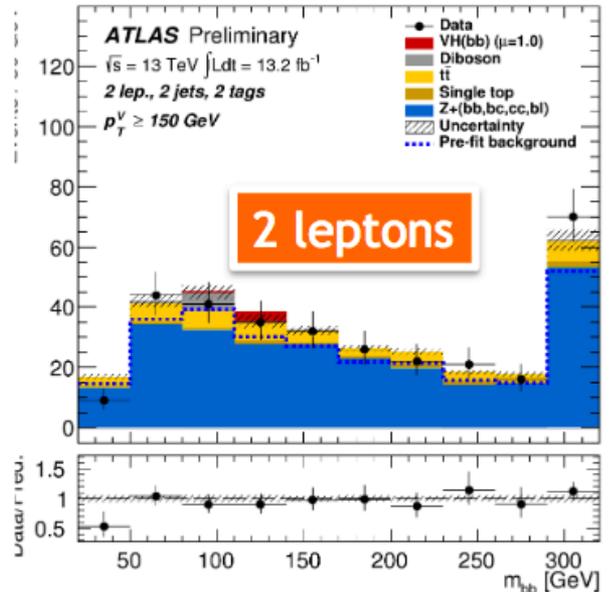
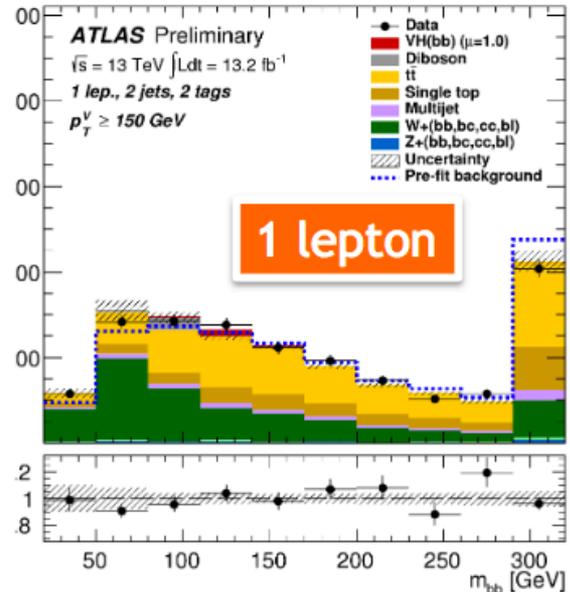
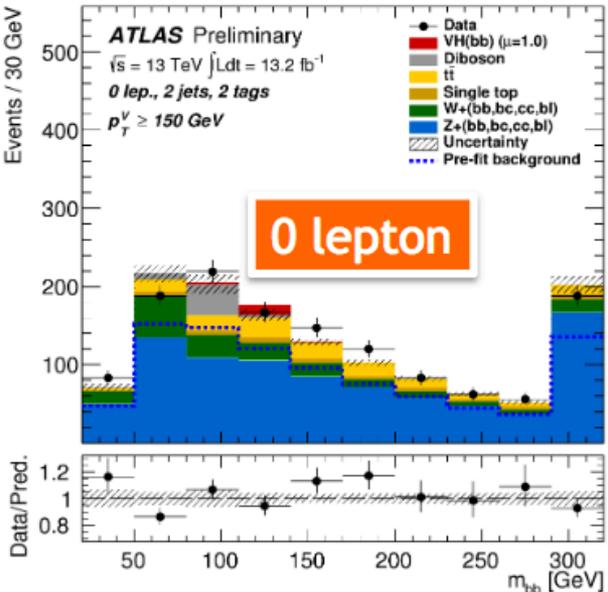
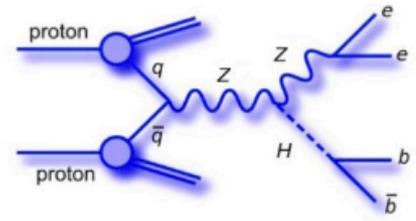
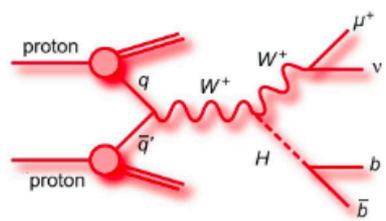
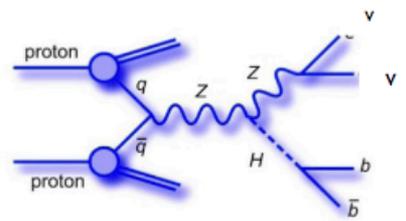
# Enough events to start to search for other modes : $H \rightarrow bb$

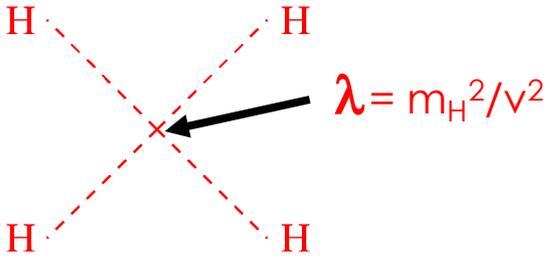


too much background

Use the extra information from associated production modes

Challenging analyses !





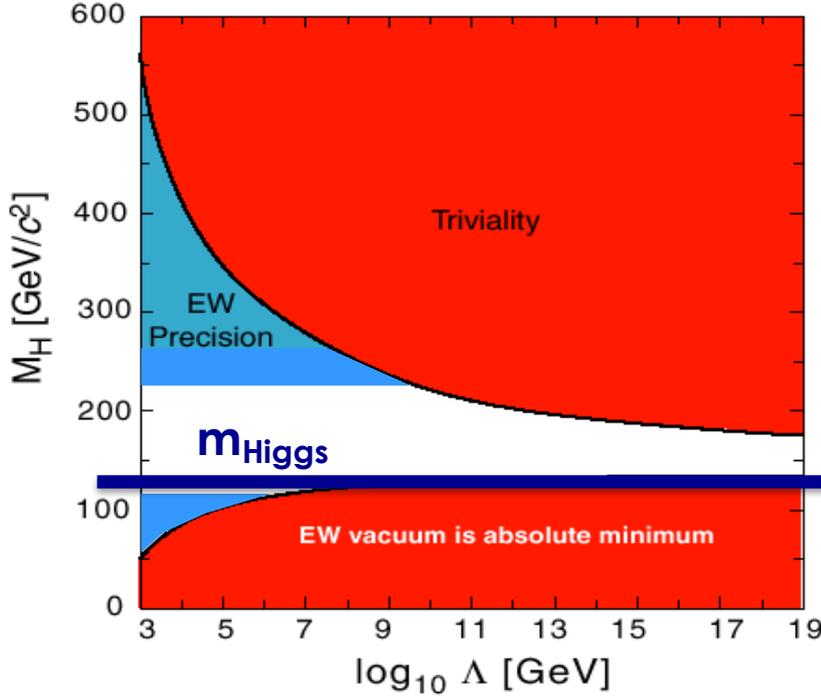
As for any other coupling constant, the particle content of the Standard Model determines the running of  $\lambda$  up to a scale  $\Lambda$ , at which the model is no longer valid.

$$0 \leq \lambda(\Lambda) \leq \infty$$

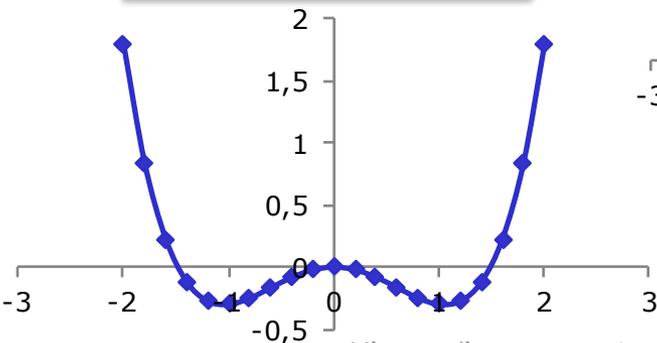
$\lambda > 0$  :  $V(\Phi)$  with a minimum up to the scale  $\Lambda$

$\lambda$  small : SM perturbative up to  $\Lambda$  **Triviality bound**

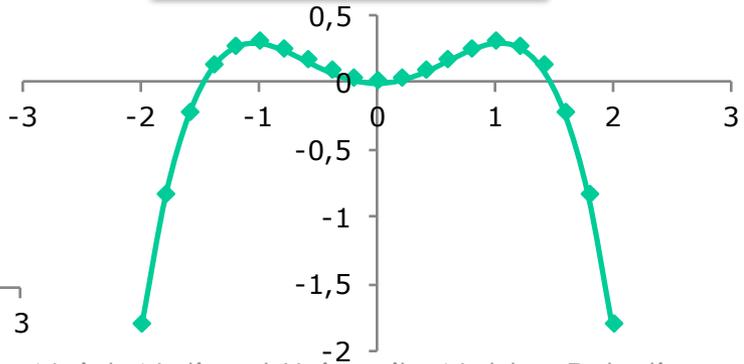
**Vacuum stability**



**If  $\lambda > 0$  and  $\mu^2 < 0$**

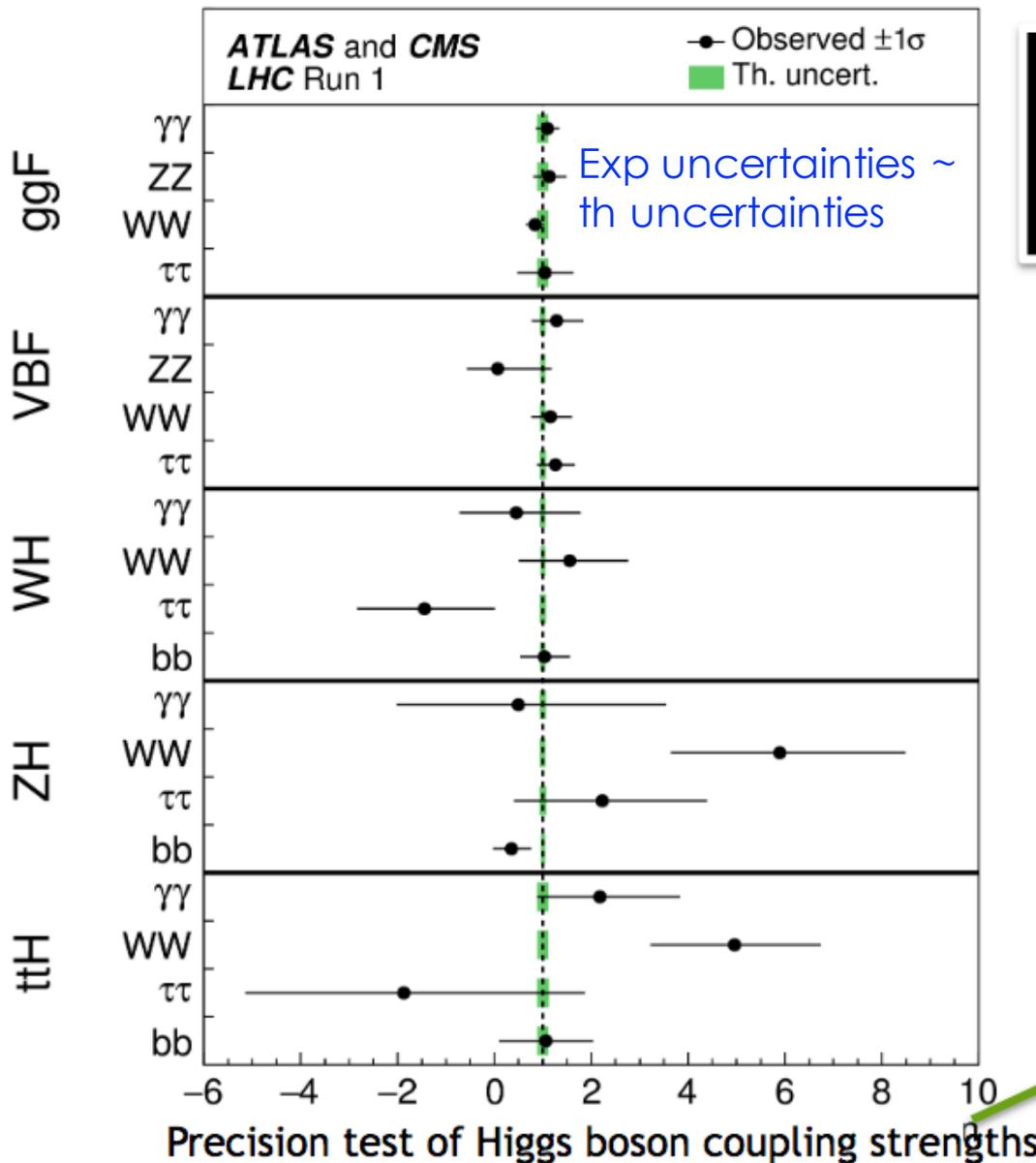


**If  $\lambda < 0$  and  $\mu^2 > 0$**



$$V(\phi) = \frac{1}{2} \mu^2 \phi^2 + \frac{1}{4} \lambda \phi^4$$

$$- \mu^2 / \lambda > 0$$



**CMS and ATLAS combined 7 and 8 TeV  
results Run 1 legacy papers:**

**Mass: Phys. Rev. Lett. 114, 191803  
Rates and couplings: arXiv:1606.02266**

**Mass has been measured to  
0.2% precision  
 $m_H = 125.09 \pm 0.24$  GeV**

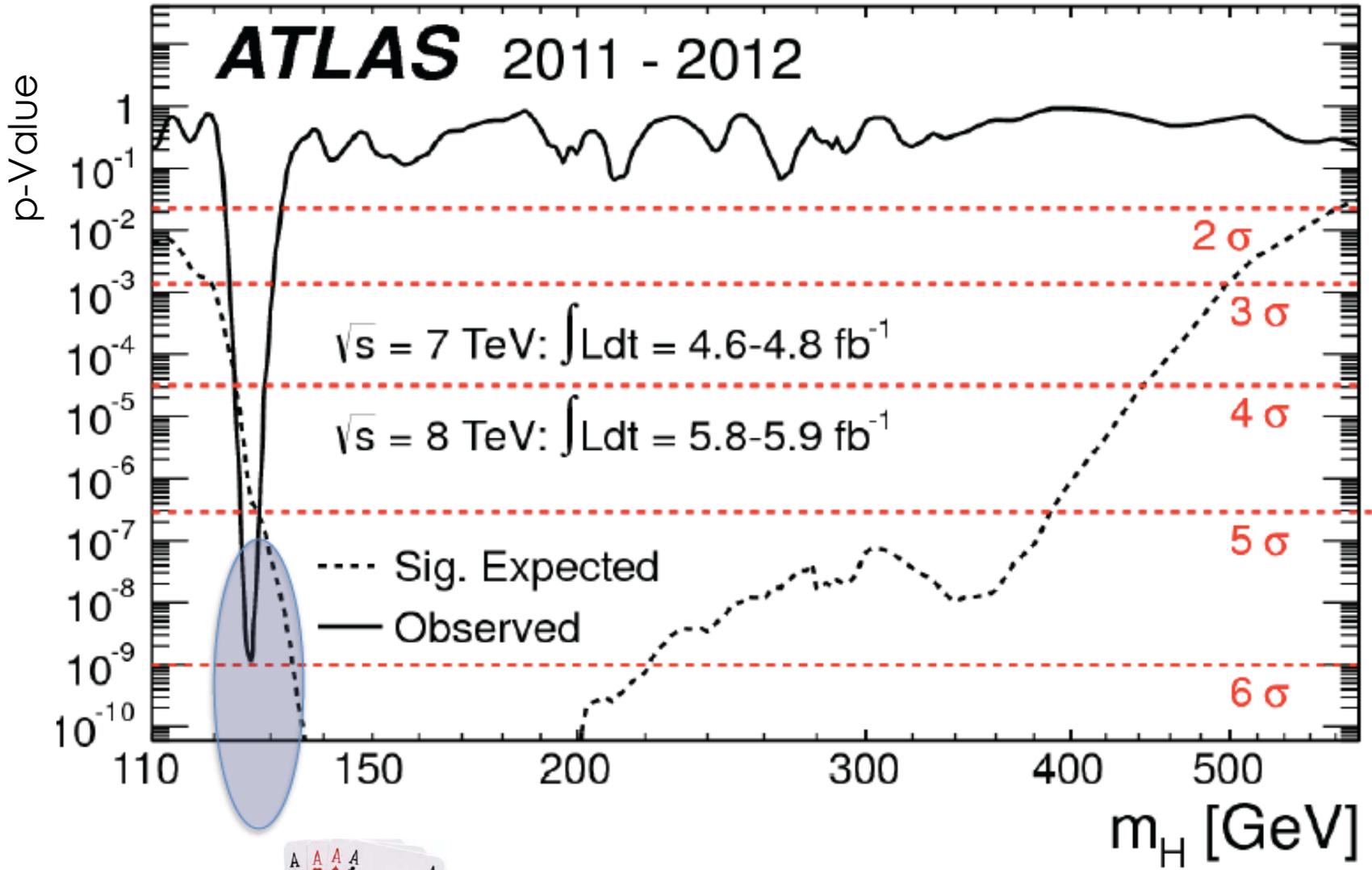
**Angular distributions  
consistent with **spin 0** and  
even parity**

**All couplings are consistent  
with SM within  $2.5\sigma$**

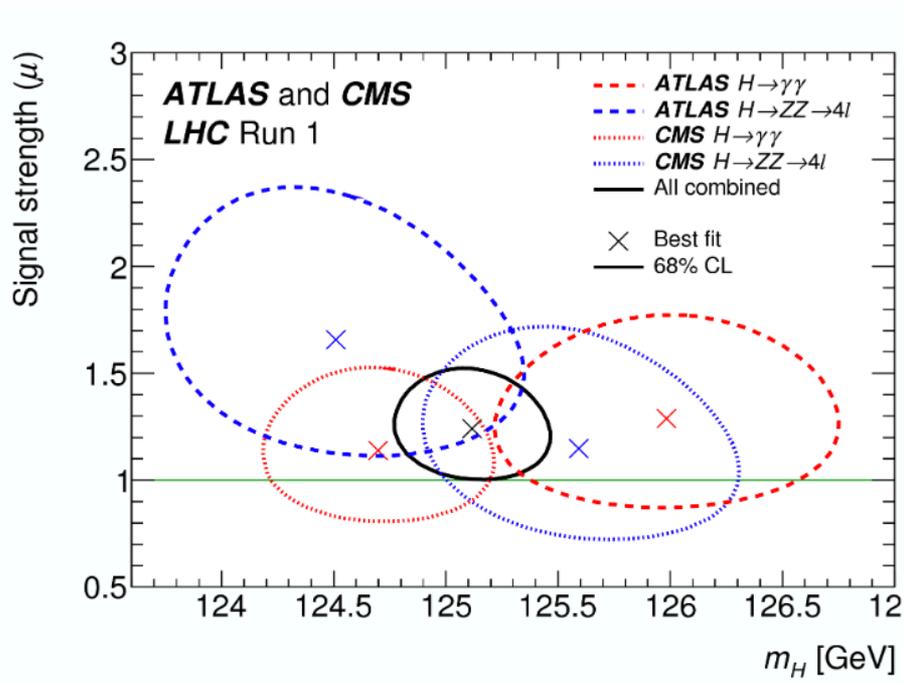
Coupling strengths

$$\mu = \frac{\sigma}{\sigma_{SM}}$$

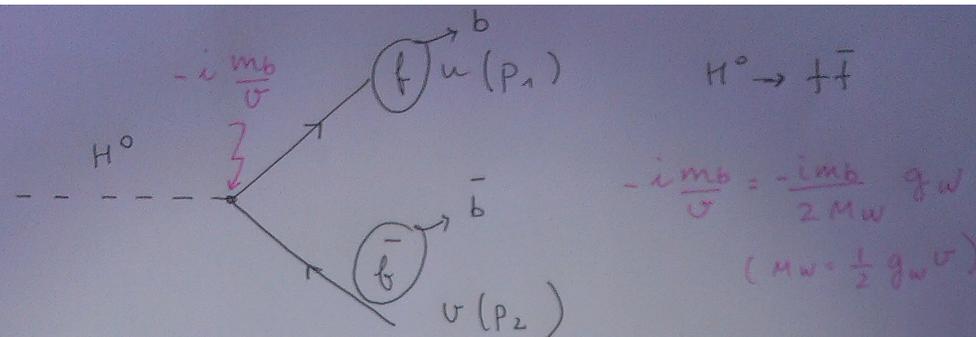
p-Value ... already some time ago !



~ same probability to obtain the 4  
aces in a 52 cards game in this order !



# Computation of $\Gamma(H \rightarrow b\bar{b})$



$$d\Gamma = \frac{P^*}{32\pi^2 M_H^2} |\overline{\mathcal{M}}|^2 d\Omega$$

2-body decay:  $P^* = \frac{1}{2} \sqrt{M_H^2 - 4m_b^2}$

$H$  is a spin 0  $\Rightarrow d\Omega = 4\pi$

$$\Gamma = \frac{1}{8\pi} \times \frac{1}{2} (M_H^2 - 4m_b^2)^{1/2} \times \frac{1}{M_H^2} \times |\overline{\mathcal{M}}|^2$$

$$\Gamma = \frac{1}{16\pi M_H^2} (M_H^2 - 4m_b^2)^{1/2} \times |\overline{\mathcal{M}}|^2$$

$$|\overline{\mathcal{M}}|^2 = \sum_{s_1, s_2} |\mathcal{M} \mathcal{M}^*|$$

$$-i \mathcal{M} = \bar{u}(p_1) \frac{m_b}{2M_W} g_W \sigma(p_2)$$

$$|\mathcal{M} \mathcal{M}^*| = \frac{m_b^2 g_W^2}{4M_W^2} \bar{u}(p_1) \sigma(p_2) \bar{v}(p_2) u(p_1)$$

$\underbrace{(1,4) \quad (4,1) \quad (1,4) \quad (4,1)}_{\Rightarrow \text{number!}}$

$$\text{Tr}(\bar{u}(p_1) \sigma(p_2) \bar{v}(p_2) u(p_1)) = \bar{u}(p_1) \sigma(p_2) \bar{v}(p_2) u(p_1)$$

// Property of Trace under cyclic rotation

$$\text{Tr}(u(p_1) \bar{u}(p_1) v(p_2) \bar{v}(p_2))$$

$$|\overline{\mathcal{M}}|^2 = \sum_{s_1, s_2} \text{Tr}(\ ) \times \frac{m_b^2 g_W^2}{4M_W^2}$$

$$= \frac{m_b^2 g_W^2}{4M_W^2} \text{Tr} \left[ \sum_{s_1, s_2} (u(p_1) \bar{u}(p_1)) \sum_{s_2} (v(p_2) \bar{v}(p_2)) \right]$$

$$= \frac{m_b^2 g_W^2}{4M_W^2} \text{Tr} \left[ (\not{p}_1 + m_b) (\not{p}_2 - m_b) \right]$$

$$|\mathcal{M}|^2 = \frac{m_b^2 g_w^2}{4 M_W^2} \text{Tr} \left[ P_1 P_2 - m_b^2 \mathbb{1} + m_b (P_1 - P_2) \right]$$

$\text{Tr}(\text{odd number of } \delta \text{ matrices}) = 0$

$$|\mathcal{M}|^2 = \frac{m_b^2 g_w^2}{4 M_W^2} \left[ 4 P_1 \cdot P_2 - 4 m_b^2 \right]$$

$$P_1 \cdot P_2 = \begin{pmatrix} m_H/2 \\ P_x \\ P_y \\ P_z \end{pmatrix} \cdot \begin{pmatrix} m_H/2 \\ -P_x \\ -P_y \\ -P_z \end{pmatrix}$$

$$= \frac{m_H^2}{4} + P^2 = \frac{M_H^2}{4} + \frac{M_H^2}{4} - m_b^2$$

$$P_1 \cdot P_2 = \frac{M_H^2}{2} - m_b^2$$

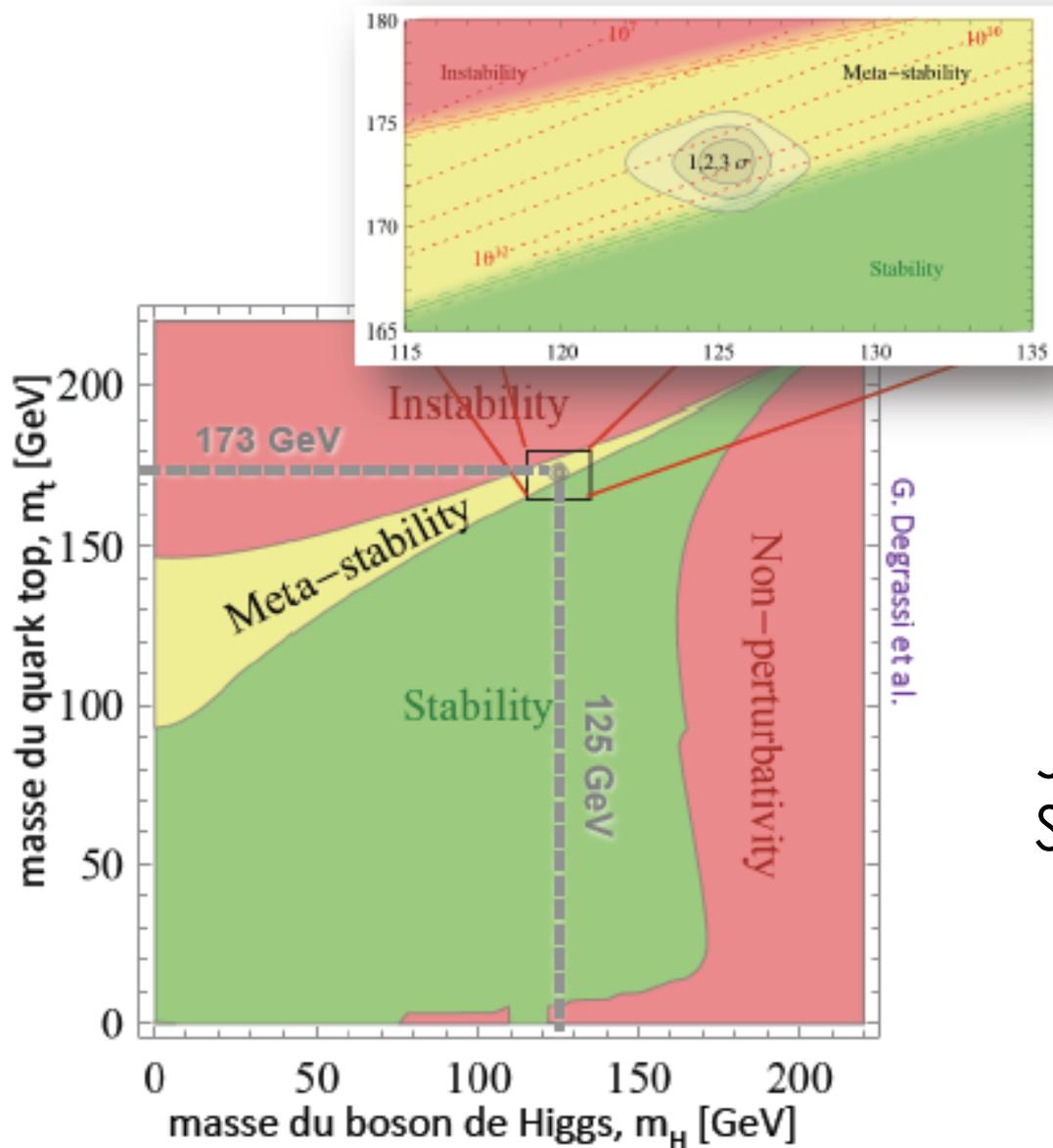
$$|\mathcal{M}|^2 = \frac{m_b^2 g_w^2}{4 M_W^2} \left[ 2 M_H^2 - 4 m_b^2 \right]$$

$$|\mathcal{M}|^2 = \frac{m_b^2 g_w^2}{2 M_W^2} \left[ M_H^2 - 4 m_b^2 \right]$$

$$\Gamma = \frac{1}{16\pi M_H^2} (M_H^2 - 4m_b^2)^{1/2} \times \frac{m_b^2 g_w^2}{2 M_W^2} [M_H^2 - 4m_b^2]$$

$$= \frac{1}{32\pi M_W^2} \times m_b^2 g_w^2 \times \frac{1}{M_H^2} \times (M_H^2 - 4m_b^2)^{3/2}$$

$$= \frac{1}{32\pi M_W^2} \times m_b^2 g_w^2 \times M_H \times \left(1 - \frac{4m_b^2}{M_H^2}\right)^{3/2}$$



G. Degrassi et al.

Just like that ?  
 Something deeper ?